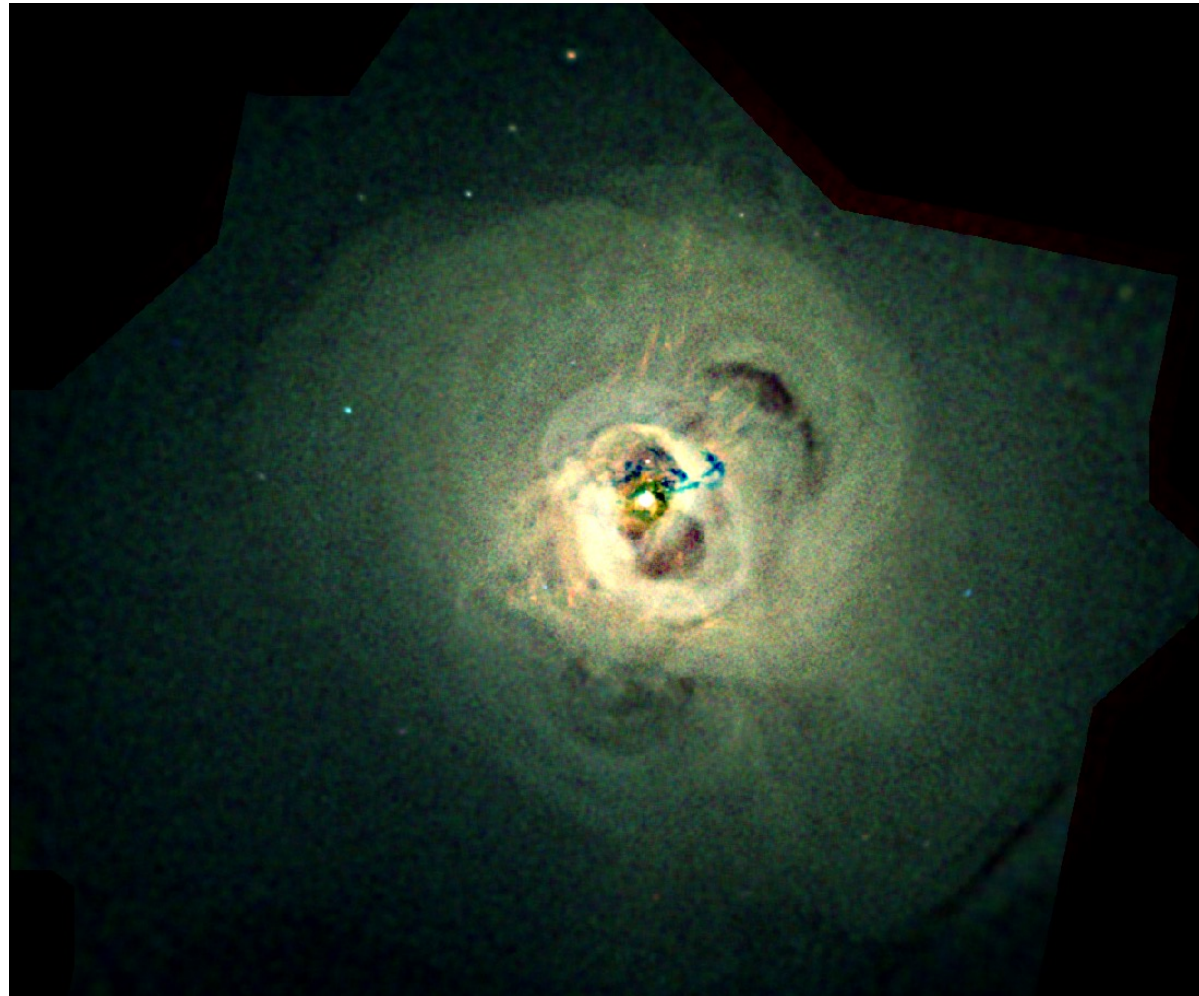


Astronomy 537



Lecture 14: Groups and Clusters

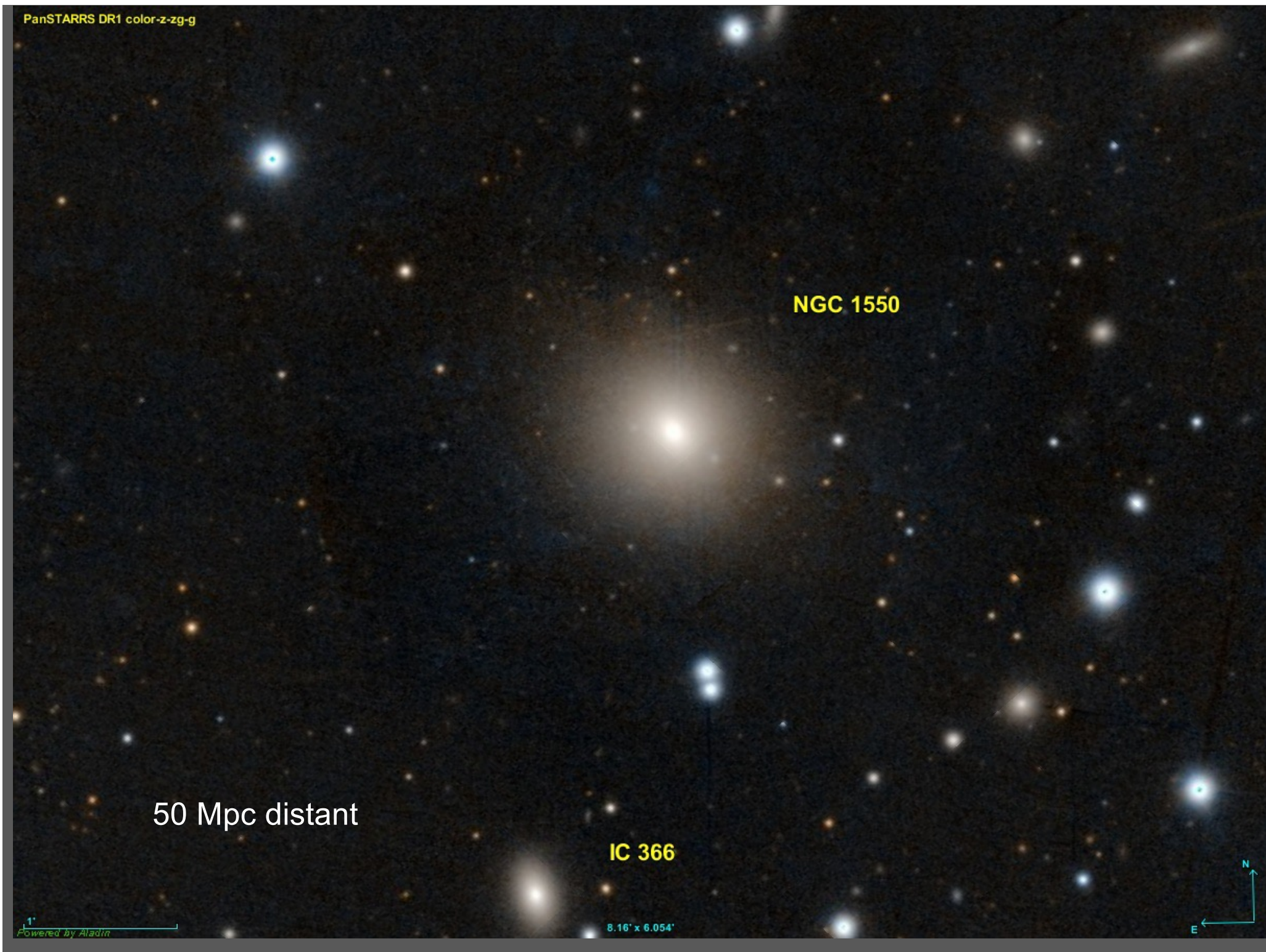


Fig. 7.1. Stephan's Quintet (compact group Hickson 92) is ~ 85 Mpc distant and 80 kpc across, or $3.2'$ on the sky. North is at the top and east is to the left. NGC 7319, the barred spiral, has an active nucleus: it is a Seyfert 2. The large spiral in the lower center, NGC 7320, is not a group member; it is in the foreground with a much smaller redshift – D. J. Pisano, WIYN telescope.

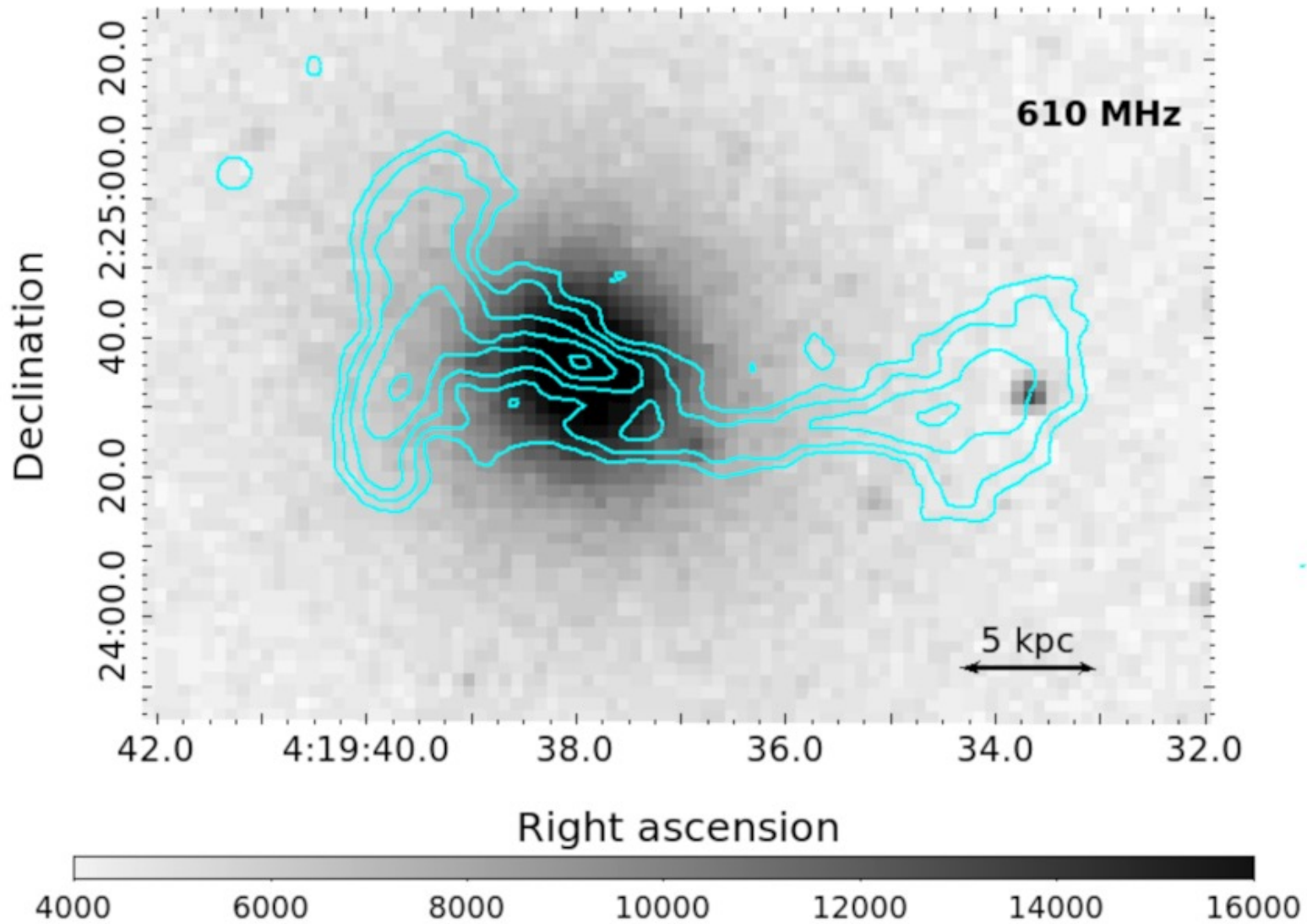
NGC 1550

50 Mpc distant

IC 366

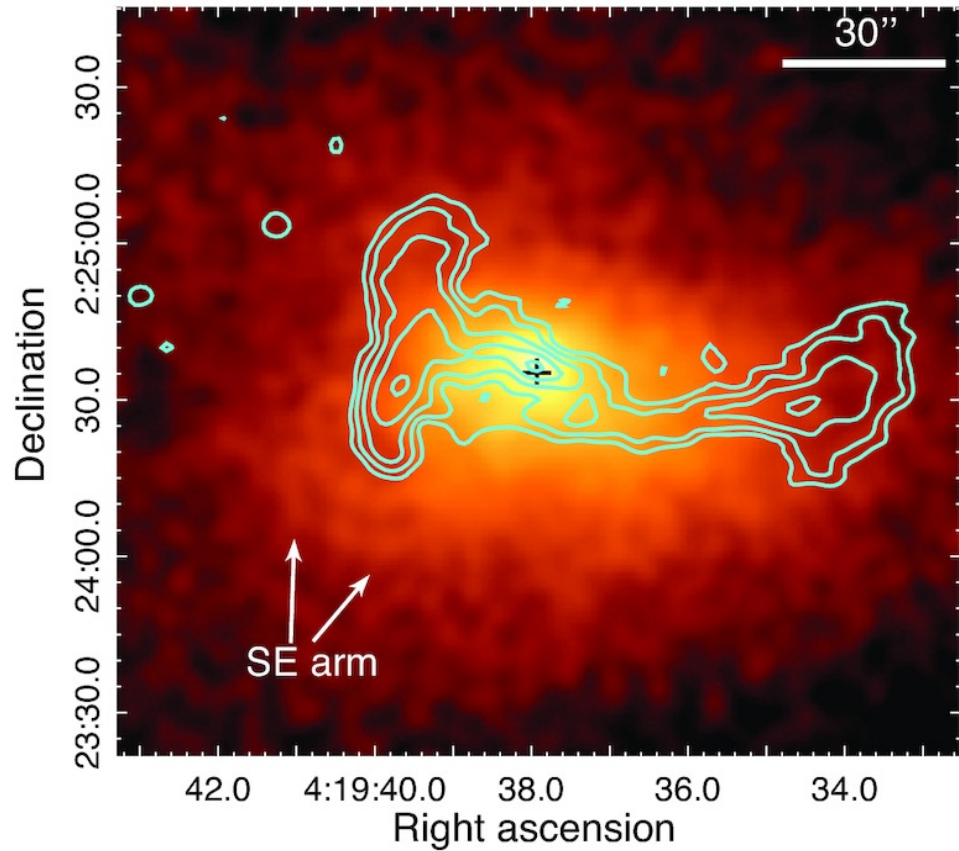


Optical + GMRT radio

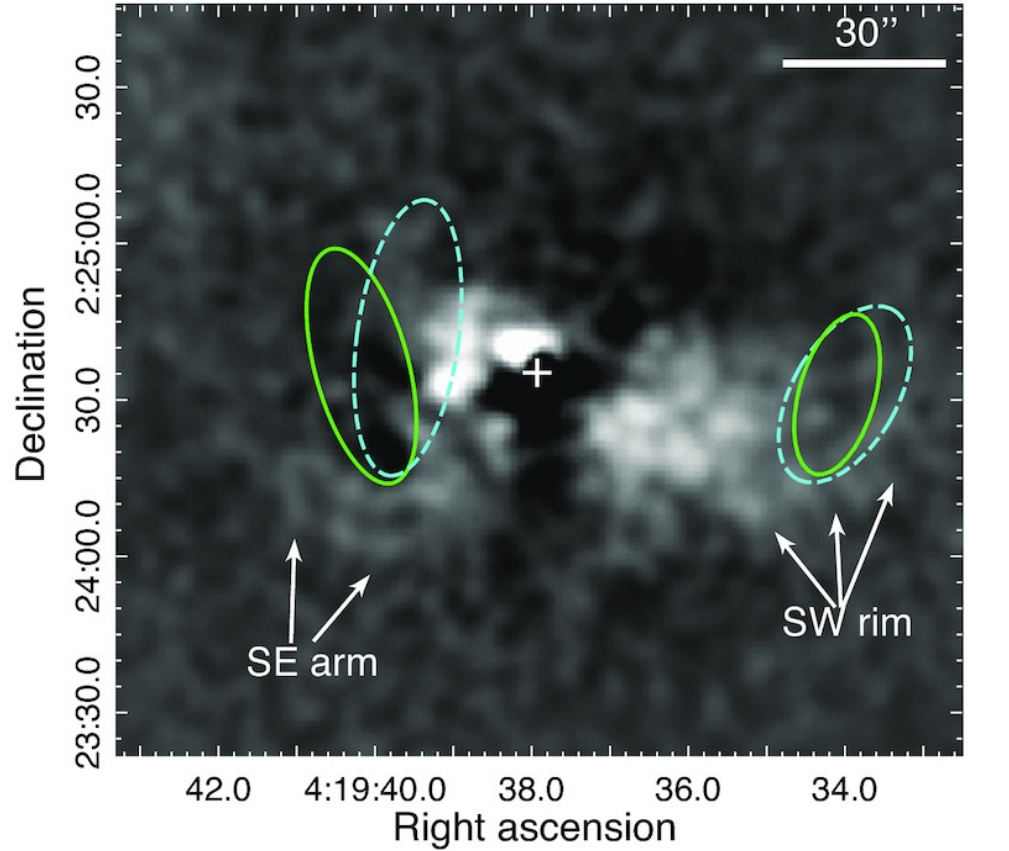


Kolokythas
et al. 2020

Chandra X-ray + GMRT radio



unsharp-masked Chandra



Kolokythas
et al. 2020

Consider NGC1550 group of galaxies

Velocity dispersion is ~ 310 km/s

Application of the virial theorem yields:

$$\frac{3\mathcal{M}\sigma_r^2}{2} = \mathcal{K}\mathcal{E} = -\frac{\mathcal{P}\mathcal{E}}{2} = \frac{3\pi}{64} \frac{G\mathcal{M}^2}{a_P}, \quad \text{so } \mathcal{M} \approx 2 \times 10^{13} \mathcal{M}_\odot.$$

We can also estimate the X-rays from free-free emission:

$$L_X = n^2 \Lambda(T_X), \quad \text{where } \Lambda \approx 3 \times 10^{-27} T_X^{1/2} \text{ erg s}^{-1}.$$

Hydrostatic equilibrium tells us how much gravity is needed to keep the hot gas from blowing away:

$$\frac{dp}{dr} = -\rho(r) \frac{G\mathcal{M}(<r)}{r^2}.$$

Worksheet: Use hydrostatic equilibrium and the ideal gas law derive the mass of the NGC 1550 cluster assuming $T = 1.6 \times 10^7$ K, and $\rho(r) \propto r^{-1.1}$ out to 200 kpc

Ways to measure Cluster mass?

- X-ray luminosity of the hot gas [see previous slides]
- Gravitational lensing (strong and weak)
- S-Z effect
- Faraday rotation

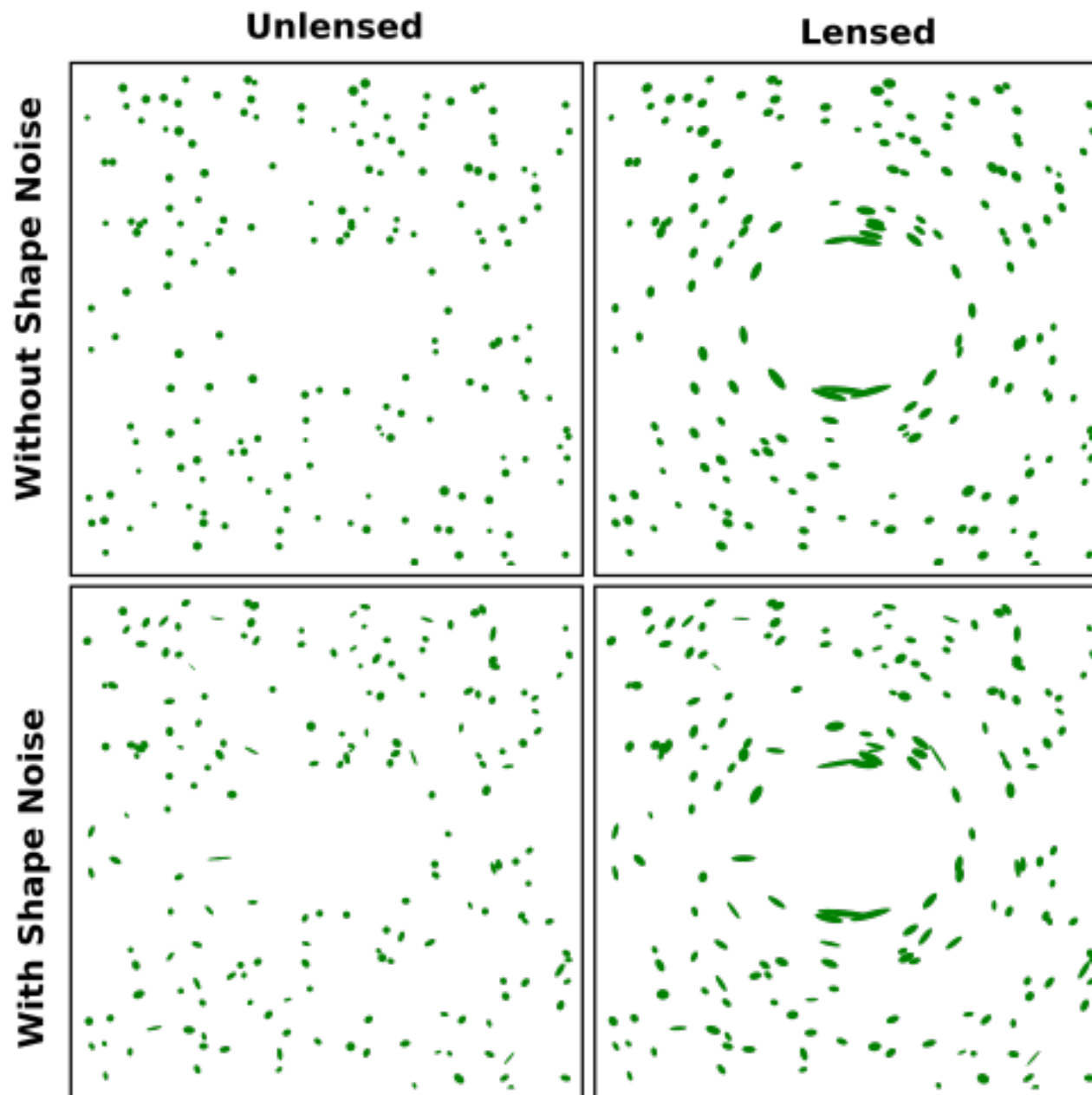
Strong lensing. The gravity of a foreground cluster of galaxies distorts the images of background galaxies into arcs





Saturn-mass
black hole

Weak Lensing



Strong and Weak Lensing of the bullet cluster



Blue = mass from lensing; Red = X-rays from hot gas

Journal Class

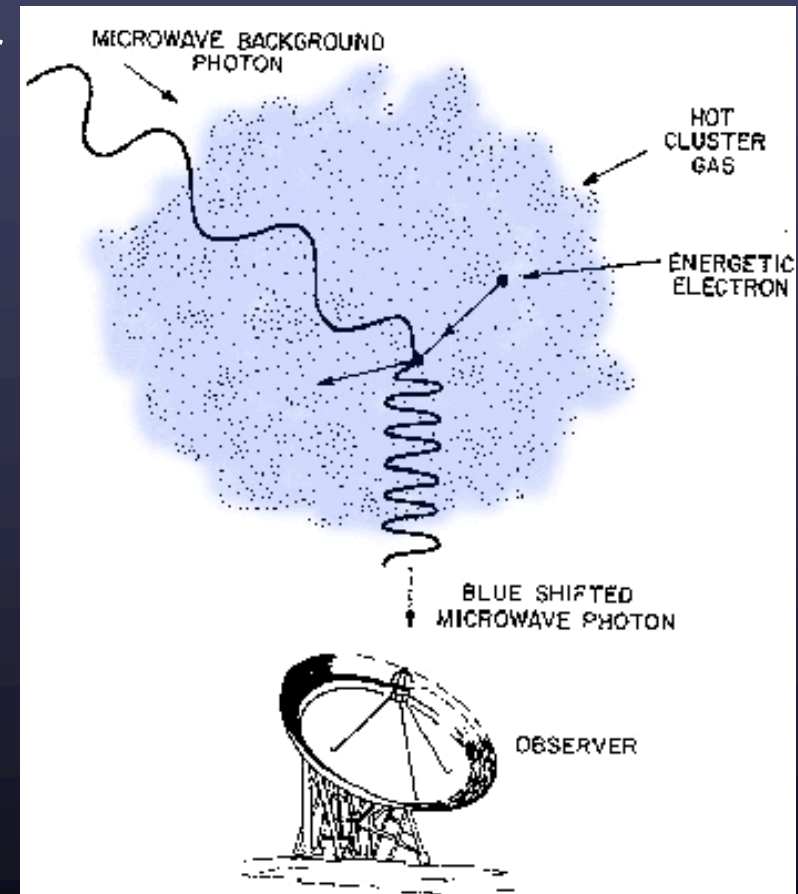
- **The Bullet cluster at its best: weighing stars, gas, and dark matter**
- Paraficz et al. 2016

Discussion leader: **Izabela Pavel**

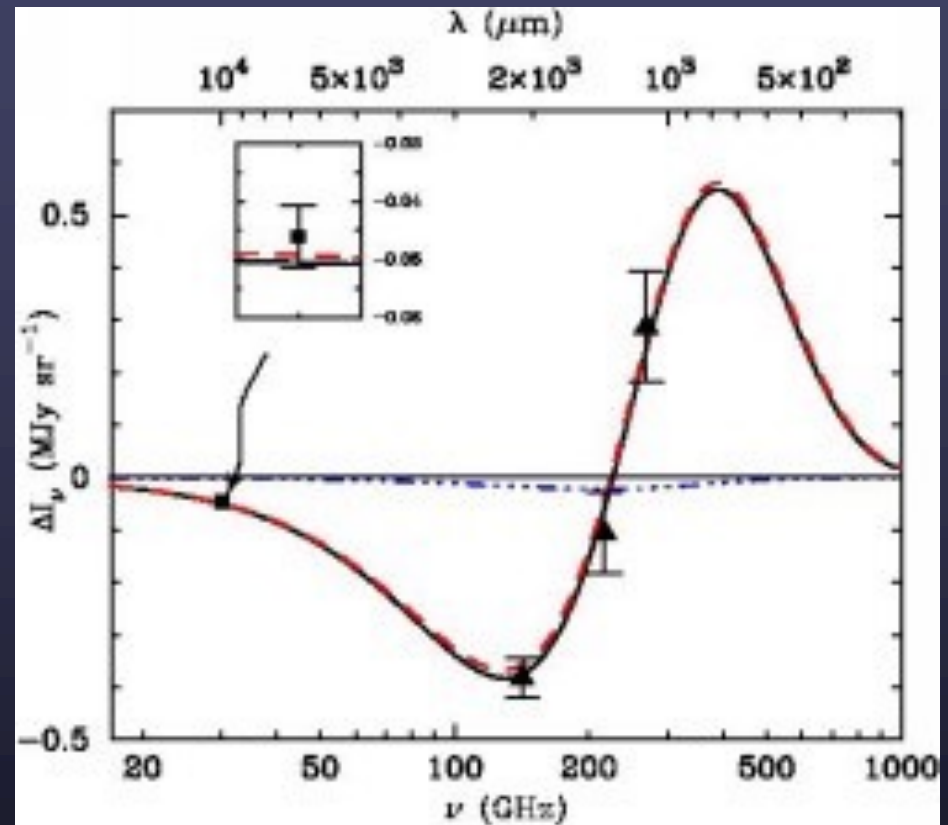
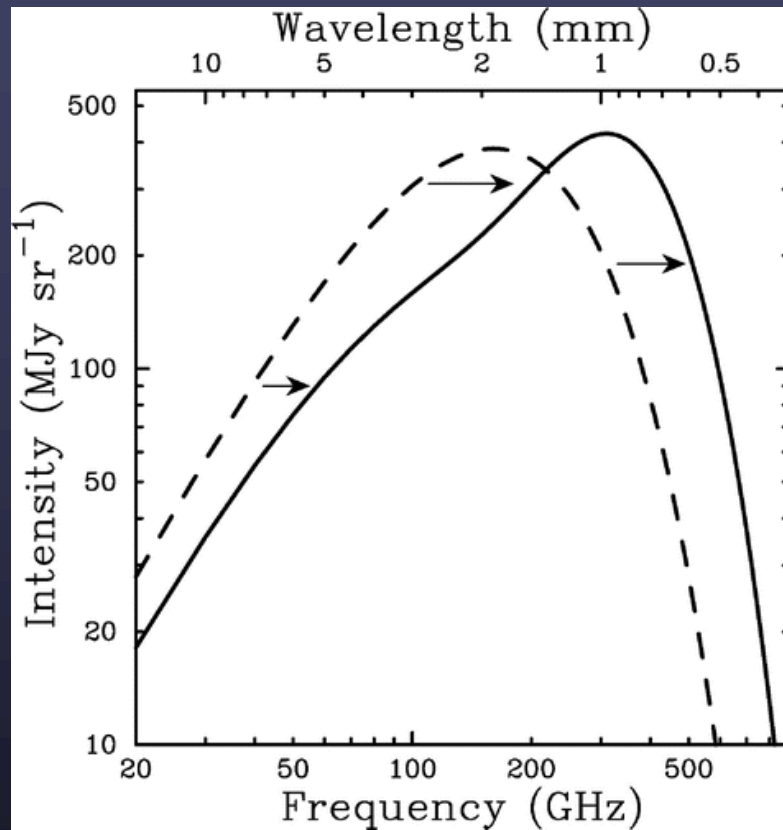
Note: To encourage discussion everybody must pose at least one question during the group discussion

Sunyaev-Zeldovich effect

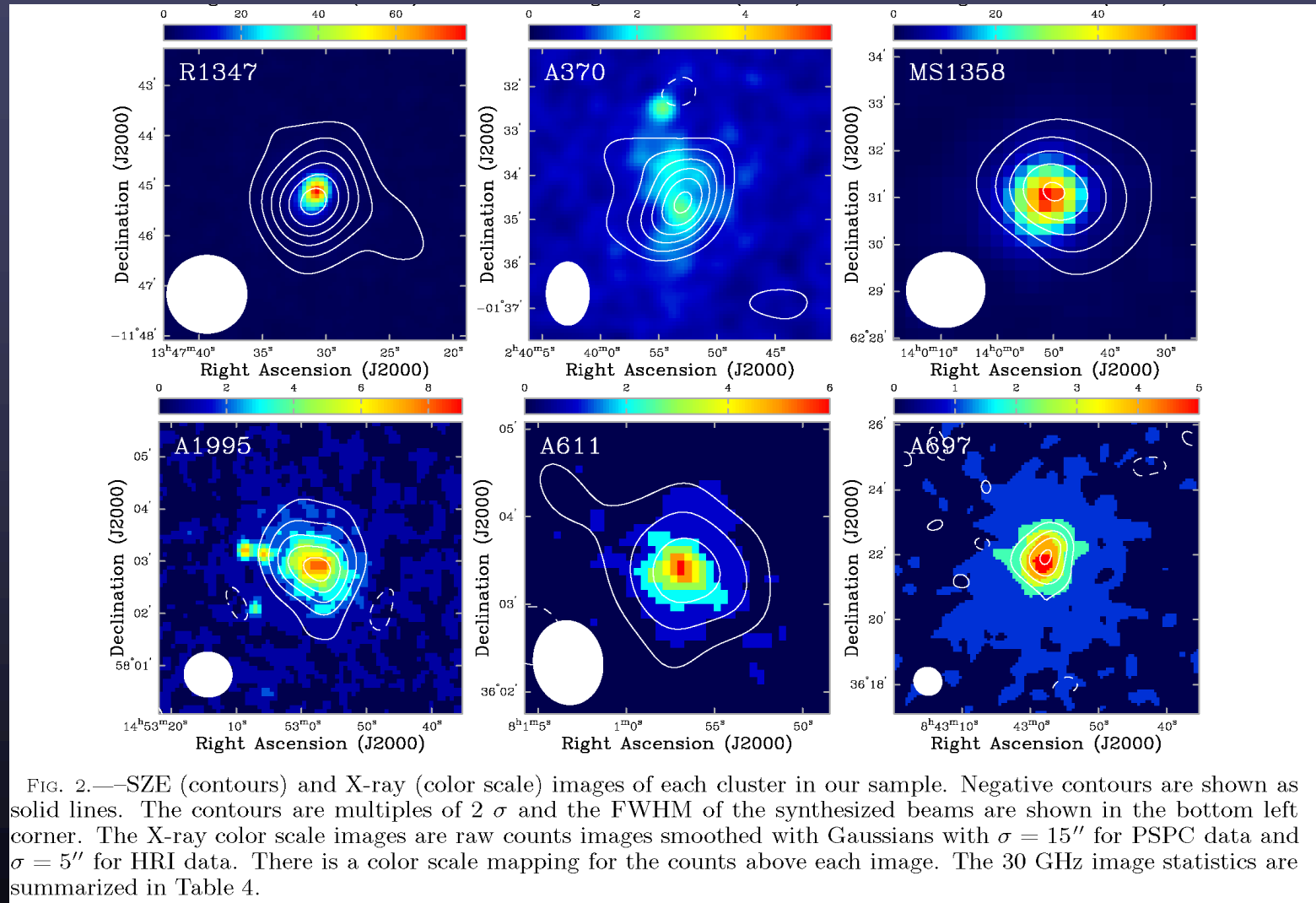
- The Sunyaev-Zeldovich effect
 - Photons of the CMB are scattered to higher frequencies by hot electrons in galaxy clusters, causing a negative brightness **decrement**.
 - Decrement is proportional to integral of electron pressure through the cluster, or electron density if cluster is isothermal.
 - Electron density and temperature can be estimated from X-ray observations, so the linear scale of the cluster is determined.
 - This can be used to measure the cluster distance and combined with z to get H_0 .



Sunyaev-Zeldovich effect



SZ images



Reese et al. astro-ph/0205350

G. Taylor, Astr 423 at UNM



Thermal SZ effect

THE ASTROPHYSICAL JOURNAL, 647:25–54, 2006 August 10

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DETERMINATION OF THE COSMIC DISTANCE SCALE FROM SUNYAEV-ZEL'DOVICH EFFECT AND *CHANDRA* X-RAY MEASUREMENTS OF HIGH-REDSHIFT GALAXY CLUSTERS

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ERIK D. REESE,⁵ AND KYLE S. DAWSON⁶

Received 2005 December 8; accepted 2006 April 5

ABSTRACT

We determine the distance to 38 clusters of galaxies in the redshift range $0.14 \leq z \leq 0.89$ using X-ray data from *Chandra* and Sunyaev-Zeldovich effect (SZE) data from the Owens Valley Radio Observatory and the Berkeley-Illinois-Maryland Association interferometric arrays. The cluster plasma and dark matter distributions are analyzed using a hydrostatic equilibrium model that accounts for radial variations in density, temperature, and abundance, and the statistical and systematic errors of this method are quantified. The analysis is performed via a Markov chain Monte Carlo technique that provides simultaneous estimation of all model parameters. We measure a Hubble constant of $H_0 = 76.9^{+3.9}_{-3.4} {}^{+10.0}_{-8.0} \text{ km s}^{-1} \text{ Mpc}^{-1}$ (statistical followed by systematic uncertainty at 68% confidence) for an $\Omega_M = 0.3$, $\Omega_\Lambda = 0.7$ cosmology. We also analyze the data using an isothermal β -model that does not invoke the hydrostatic equilibrium assumption and find $H_0 = 73.7^{+4.6}_{-3.8} {}^{+9.5}_{-7.6} \text{ km s}^{-1} \text{ Mpc}^{-1}$; to avoid effects from cool cores in clusters, we repeated this analysis excluding the central 100 kpc from the X-ray data and find $H_0 = 77.6^{+4.8}_{-4.3} {}^{+10.1}_{-8.2} \text{ km s}^{-1} \text{ Mpc}^{-1}$ (statistical followed by systematic uncertainty at 68% confidence). The consistency between the models illustrates the relative insensitivity of SZE/X-ray determinations of H_0 to the details of the cluster model. Our determination of the Hubble parameter in the distant universe agrees with the recent measurement from the *Hubble Space Telescope* Key Project that probes the nearby universe.

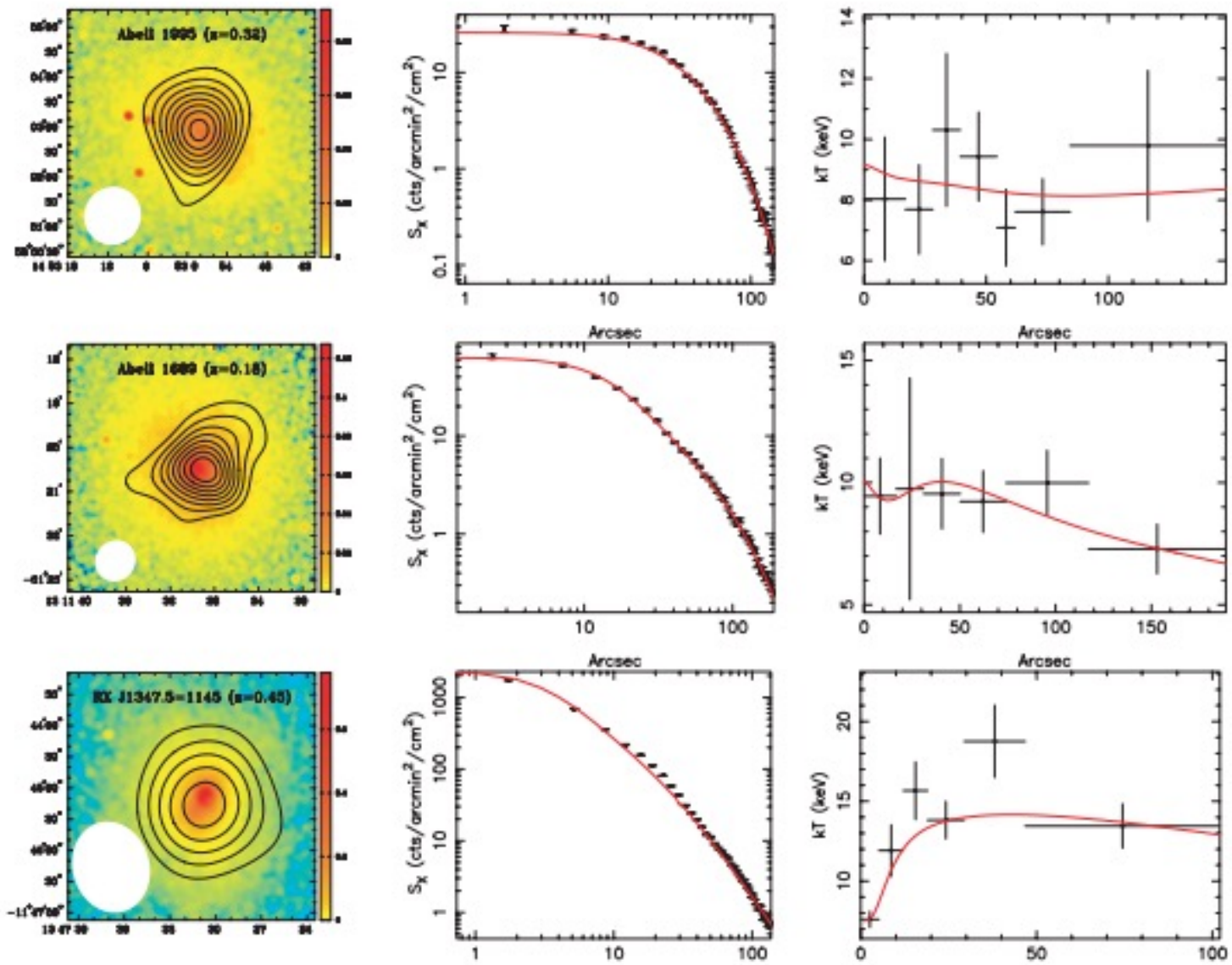
Subject headings: cosmic microwave background — distance scale — X-rays: galaxies: clusters

Online material: color figures, machine-readable table

$$H_0 = 76.9^{+3.9}_{-3.4} {}^{+10.0}_{-8.0} \text{ km s}^{-1} \text{ Mpc}^{-1}$$



SZ profiles



SZ Results

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BONAMENTE ET AL.

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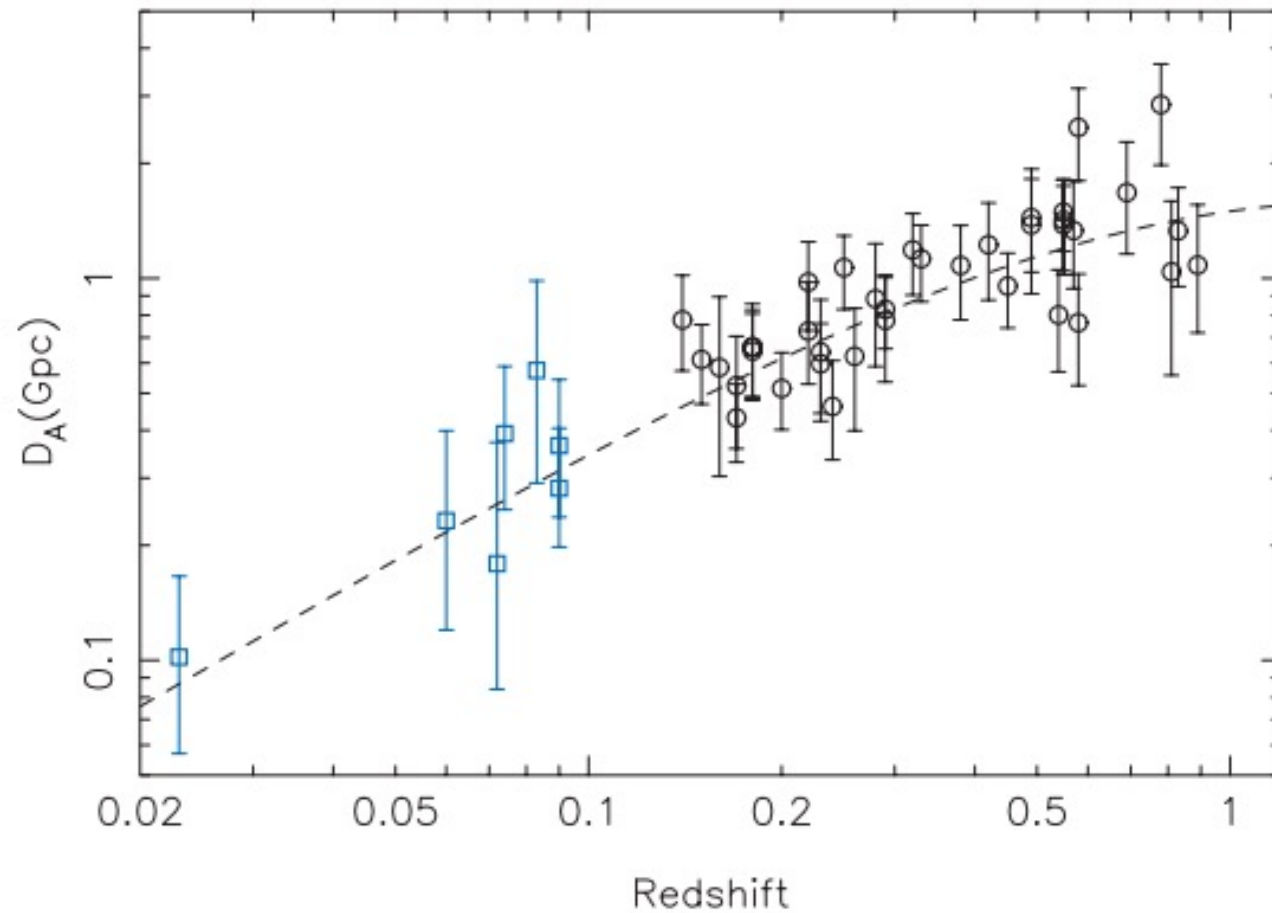


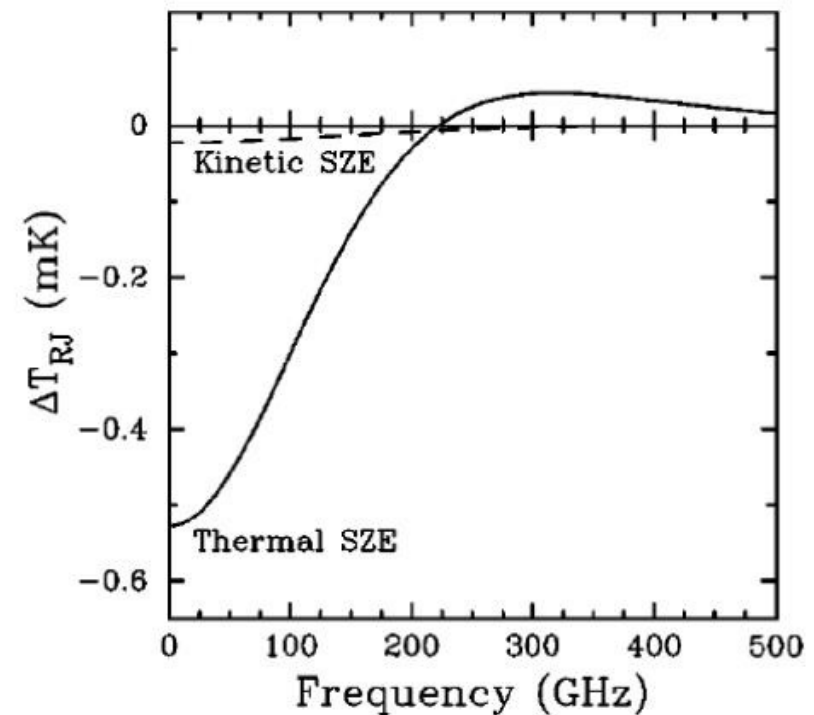
FIG. 3.—Angular diameter distances of the 38 clusters (*circles*). The error bars are the total statistical uncertainties, obtained by combining the X-ray and SZE data modeling uncertainties (Table 2) and the additional sources of random error described in § 3.3 and Table 3. The systematic errors of Table 3 are not shown. The dashed line is the angular diameter curve using the best-fit Hubble constant $H_0 = 76.9 \text{ km s}^{-1} \text{ Mpc}^{-1}$ and $\Omega_M = 0.3$, $\Omega_\Lambda = 0.7$. The squares are from the low-redshift sample of Mason et al. (2001), and they are not included in the fit.

kSZ Effect

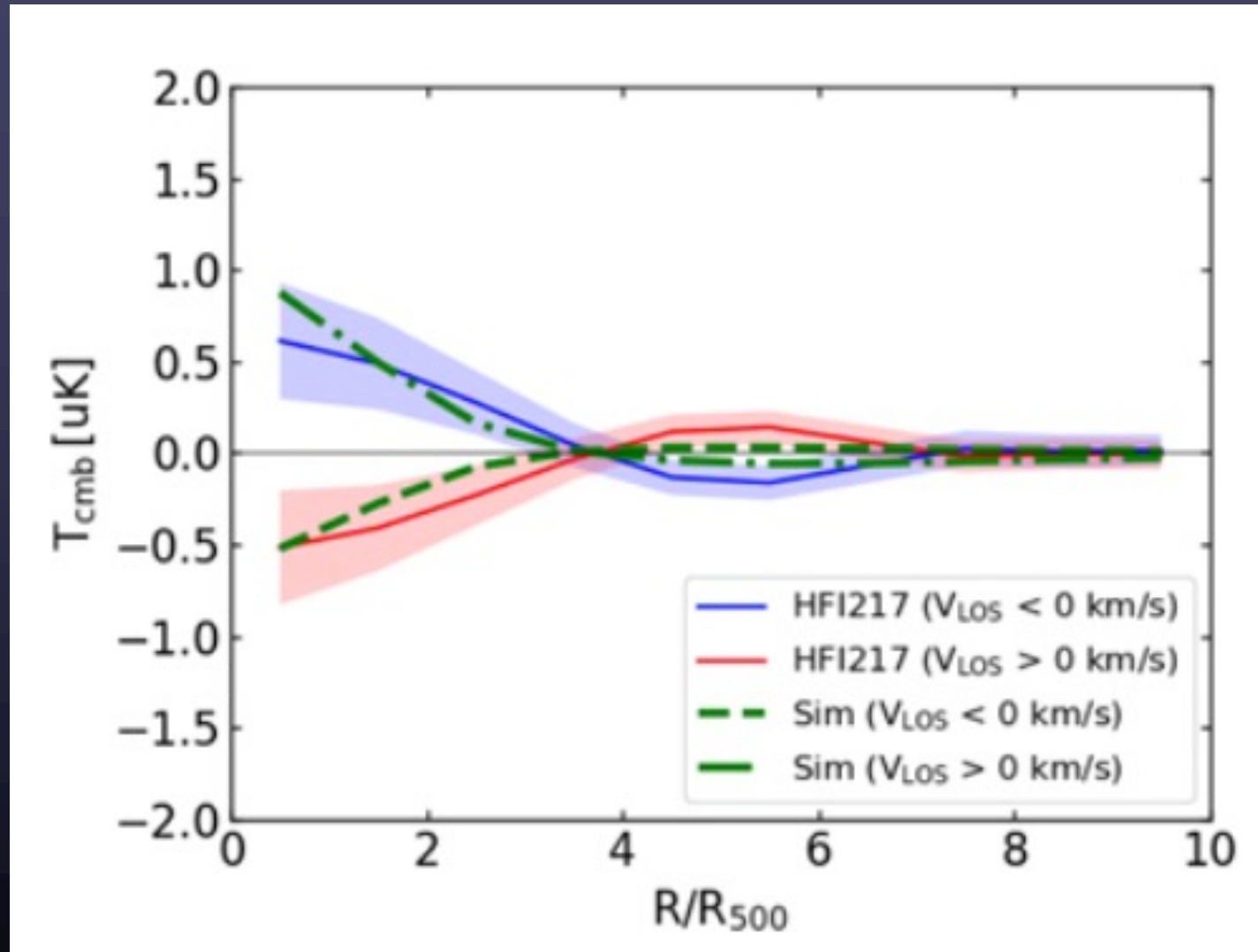
The Doppler effect of line of sight cluster velocity $\rightarrow$ observed shift of the CMB spectrum.

In the nonrelativistic limit, the spectral signature of the kinetic SZE is a pure thermal distortion of magnitude of the CMB signal:

$$\frac{\Delta T_{SZE}}{T_{CMB}} = -\tau_e \left(\frac{v_{pec}}{c} \right)$$



Kinetic SZ Results



Tanimura
et al. 2021

Effects of the Environment on Galaxy Type

- Spirals are generally found in galaxy groups
- Ellipticals are more prevalent in rich clusters
- cD galaxies are only found at the center of rich clusters

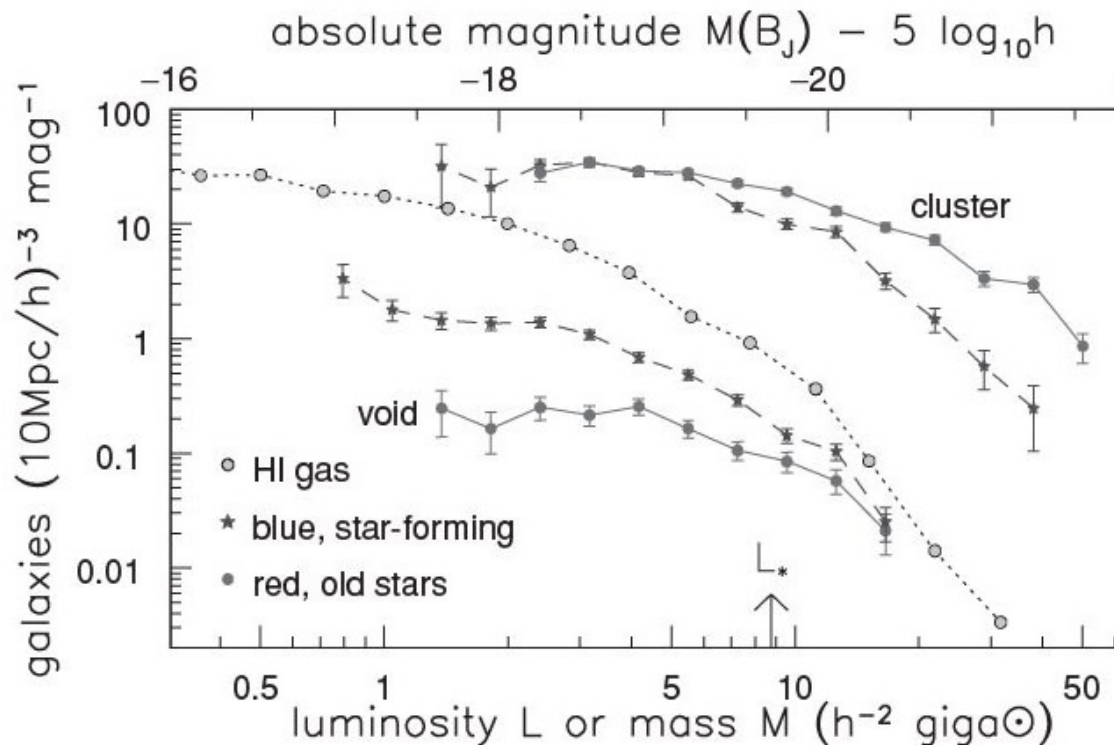


Fig. 7.11. Luminosity functions of blue star-forming galaxies (stars) and red galaxies (filled dots). Bright red galaxies predominate in clusters, but dim blue galaxies are more frequent in the low-density field or void regions. Clouds of neutral hydrogen, found in low-density regions, resemble blue galaxies in that small systems are far more common than big ones – D. Croton, 2dF survey; M. Zwaan, HIPASS.

Hot Gas in Clusters

- There is lots of gas, in the richest clusters up to 10 times more than in stars

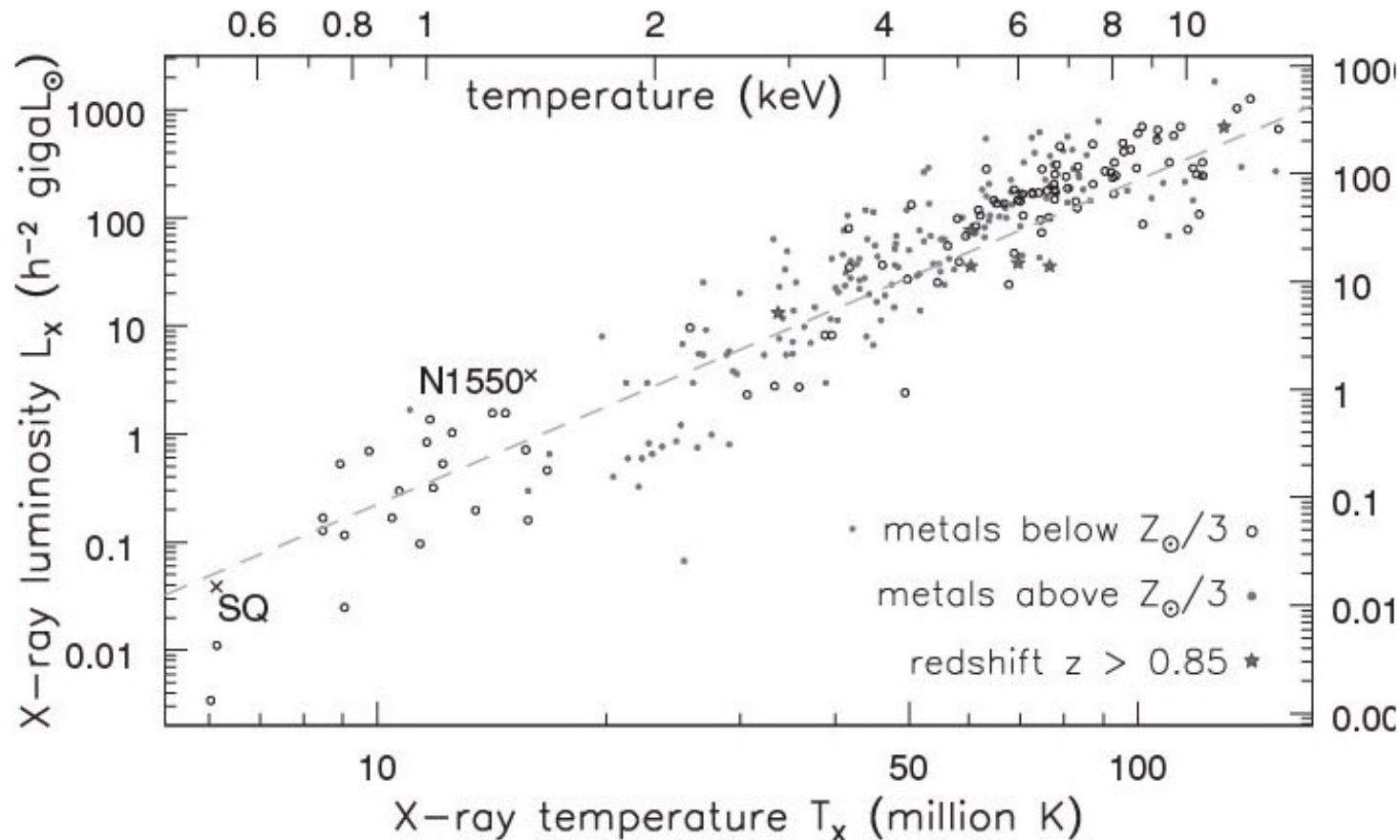


Fig. 7.12. The X-ray luminosity L_X of a galaxy cluster or group, in units of the Sun's bolometric luminosity, increases with the gas temperature T_X : the dashed line shows $L_X \propto T_X^3$. Stephan's Quintet and the NGC 1550 group follow the same trend. This relation has changed little since redshift $z \approx 1$. In most clusters with $T_X > 3 \times 10^7$ K, the gas has roughly one-third of the solar content of iron – D. Horner.

Hot Gas in Clusters

- The gas is densest near the center of the cluster, and drops off
With radius as you might expect

Since X-ray emission goes as n^2 the gas at the center should cool,
Generate optical line emission, and form molecular gas and stars
There is some evidence for cooler gas, but not enough

$$t_{\text{cool}} = \frac{3nk_{\text{B}}T}{3 \times 10^{-27}n^2\sqrt{T}} \text{ s} \approx 14 \left(\frac{10^{-3} \text{ cm}^{-3}}{n} \right) \left(\frac{10^7 \text{ K}}{T} \right)^{1/2} \text{ Gyr.}$$

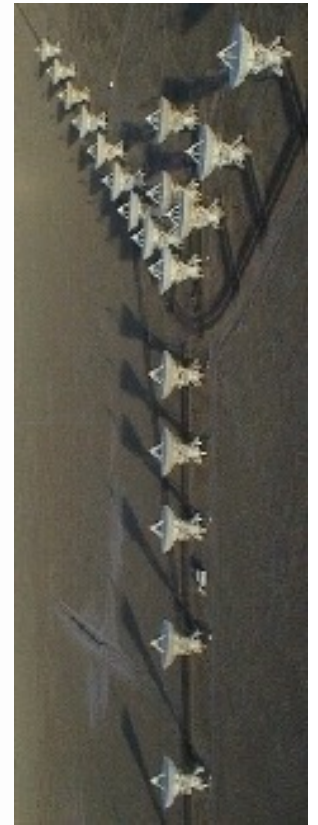
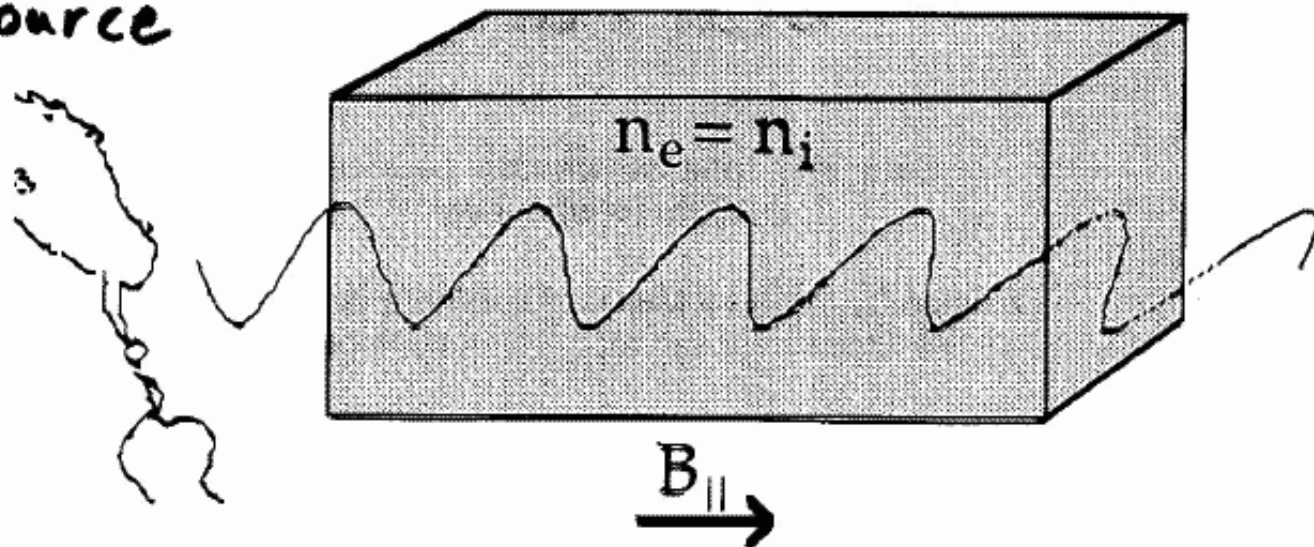
Clusters are Very Large Magnets



Faraday Rotation

Polarized
Source

Plasma

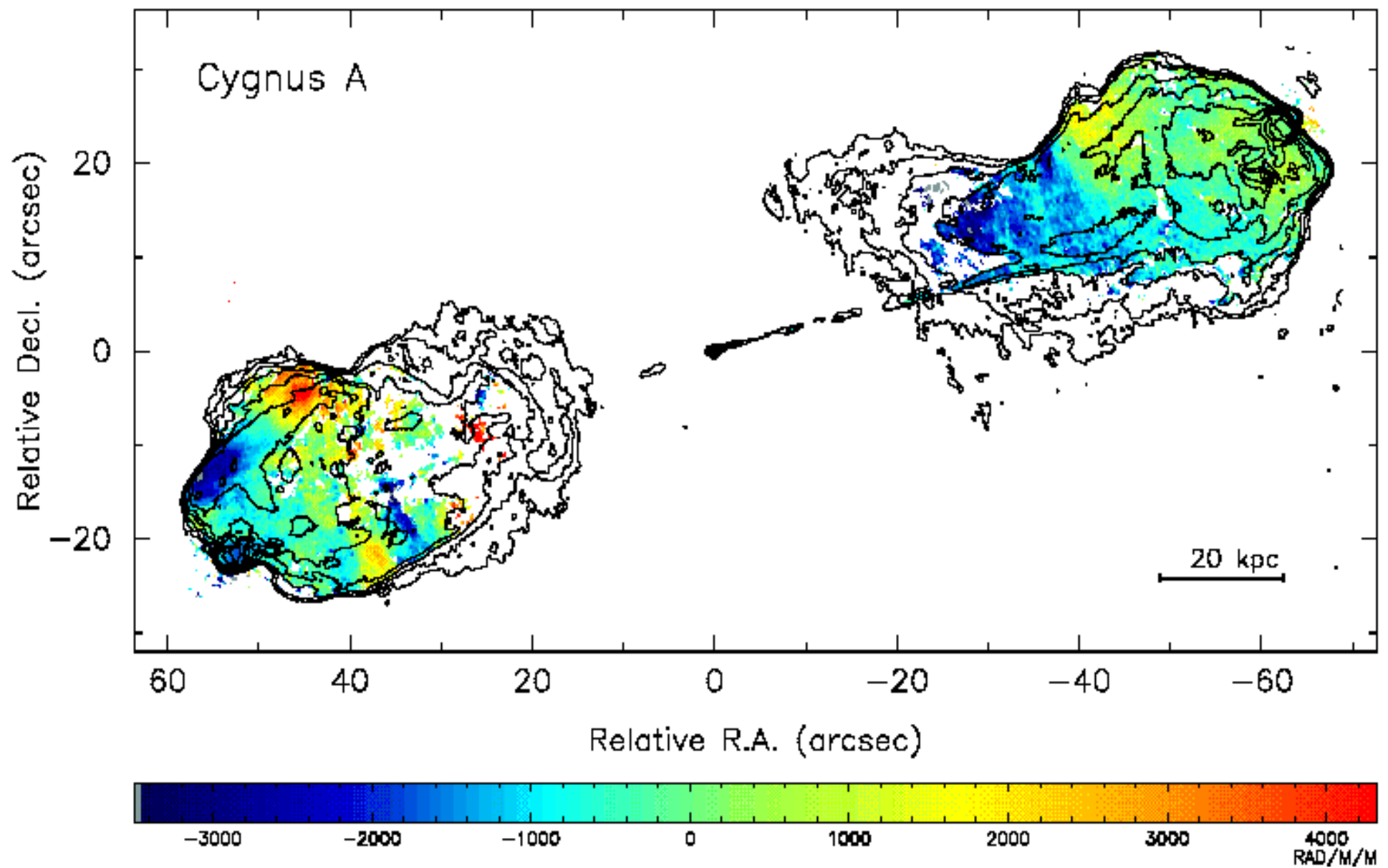


$$\psi = \psi_0 + RM\lambda^2$$

$$RM = 812 \int_0^L n_e B_{||} dl \text{ radians/m}^2$$

Handwritten annotations for the RM equation:

- L is labeled with m (meters).
- n_e is labeled with cm^{-3} (per cubic centimeter).
- $B_{||}$ is labeled with mGauss (milliGauss).

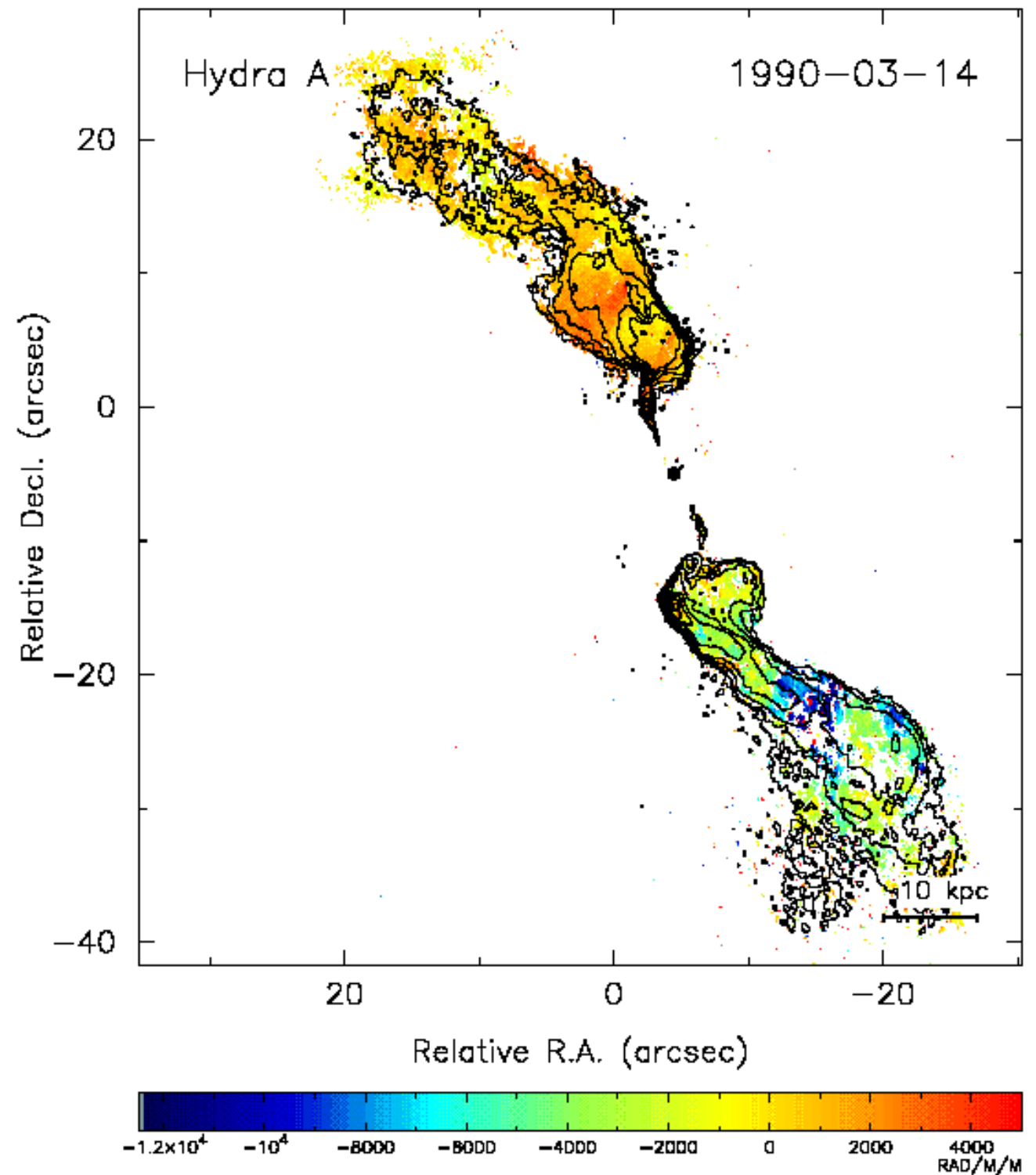


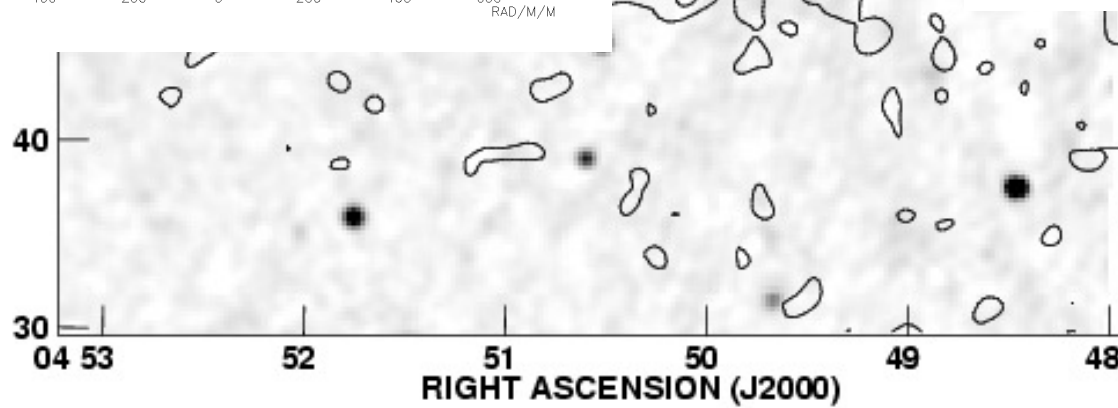
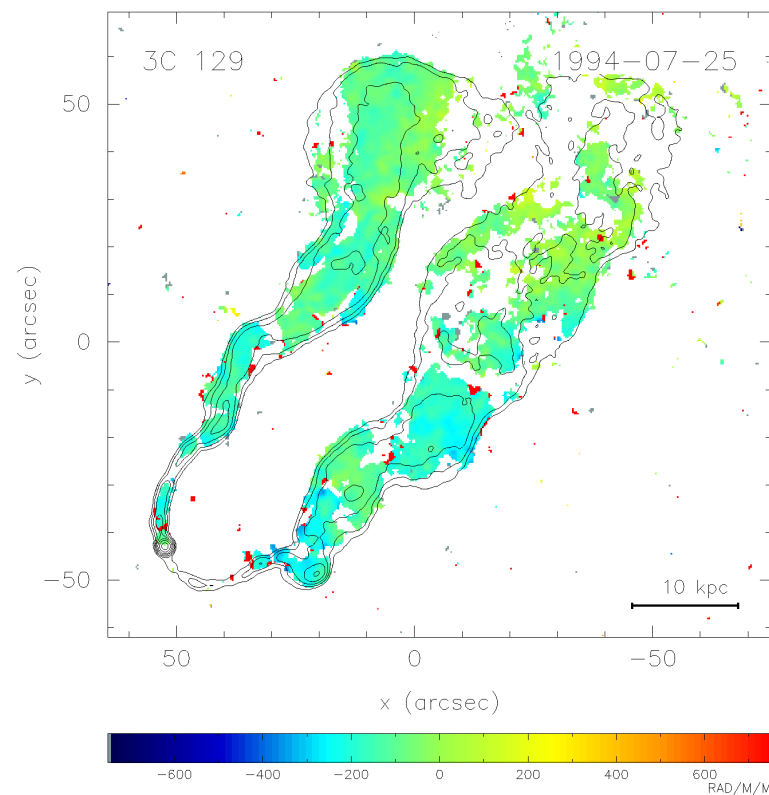
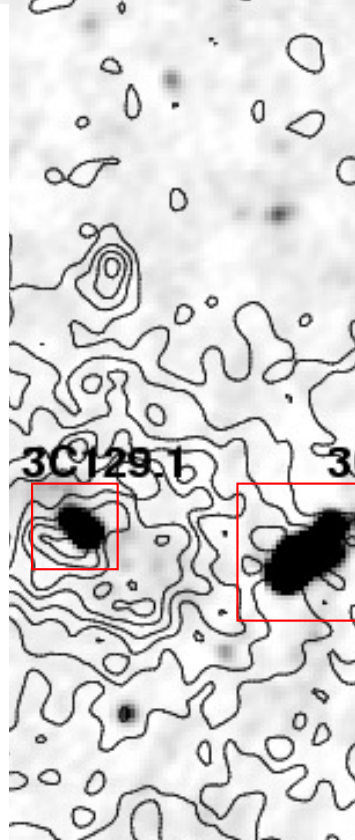
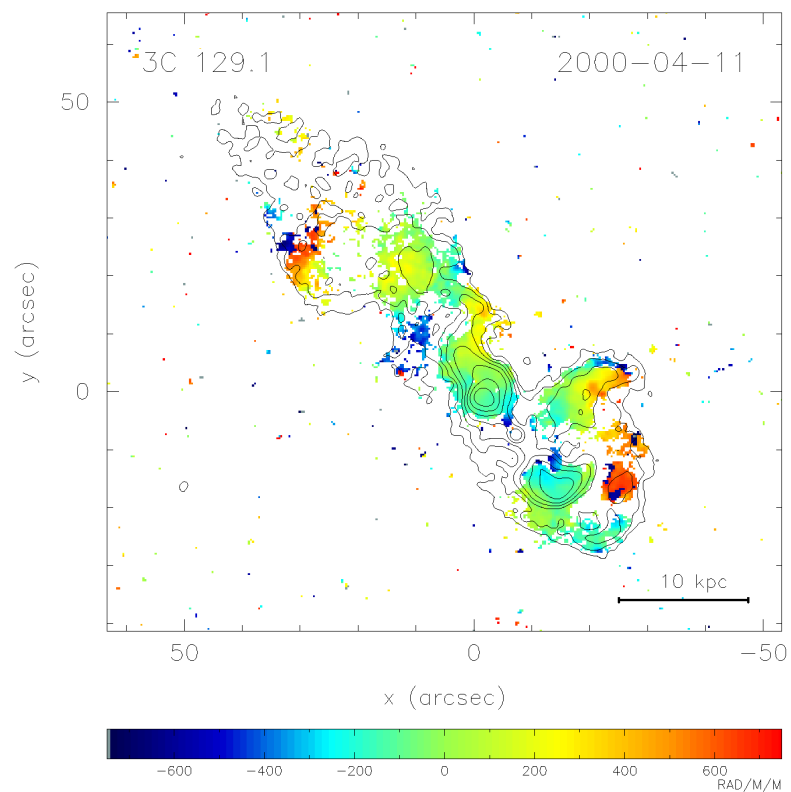
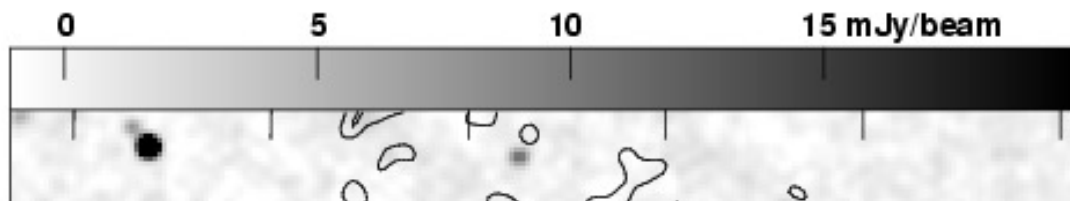
Carilli & Taylor 2002 (ARA&A)

Hydra A

Faraday
Rotation
Measures

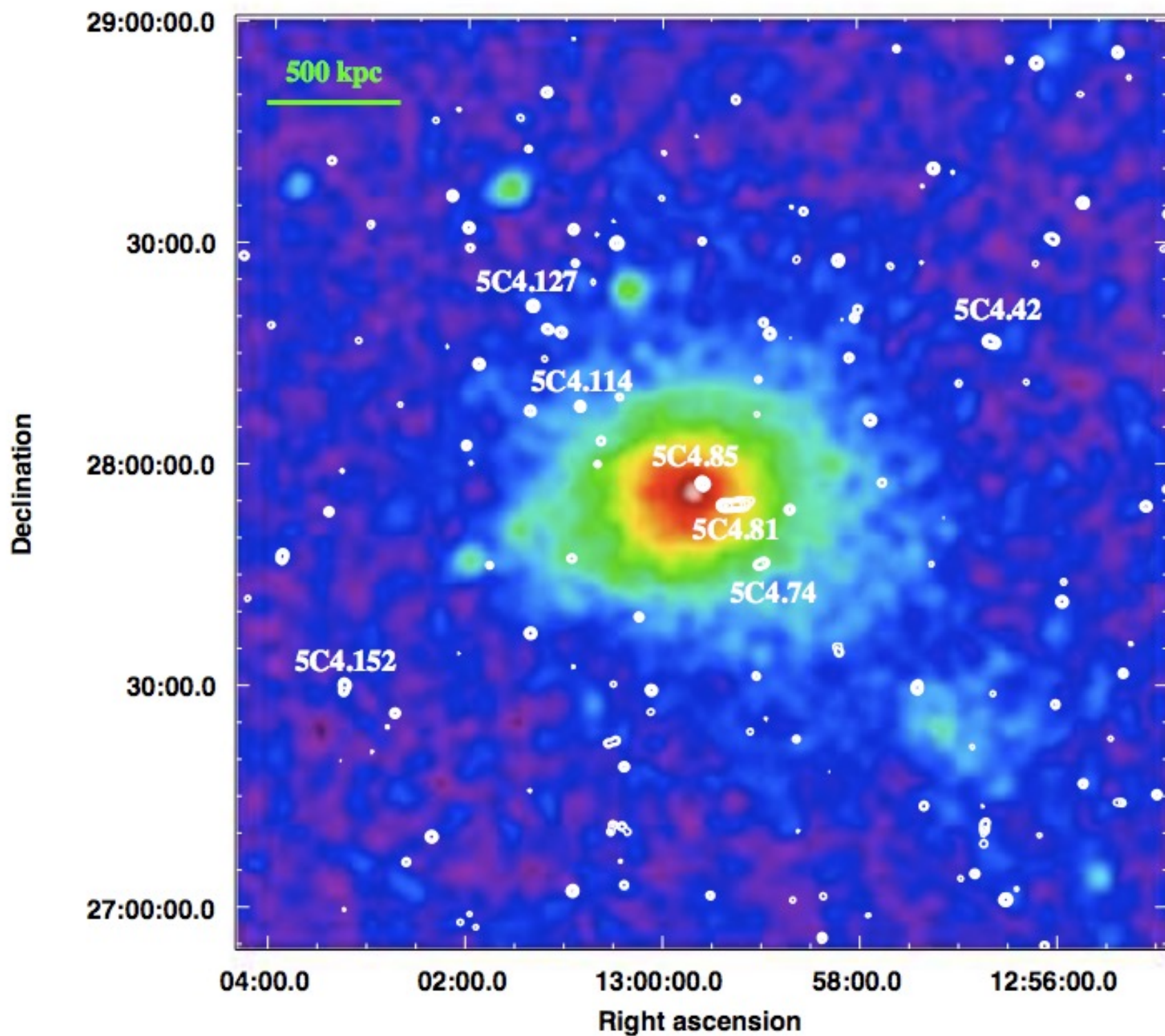
$B \sim 30 \mu\text{G}$



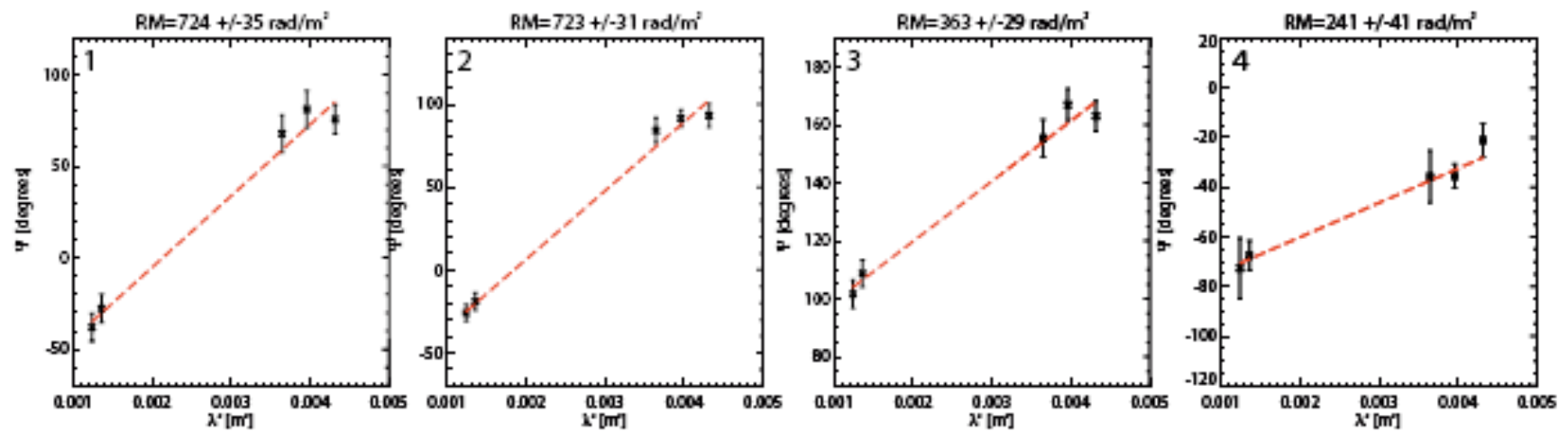
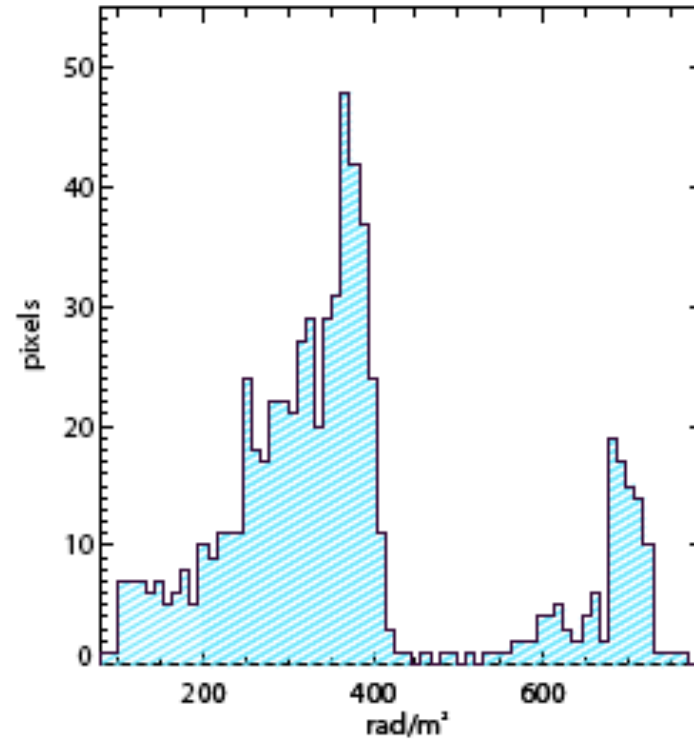
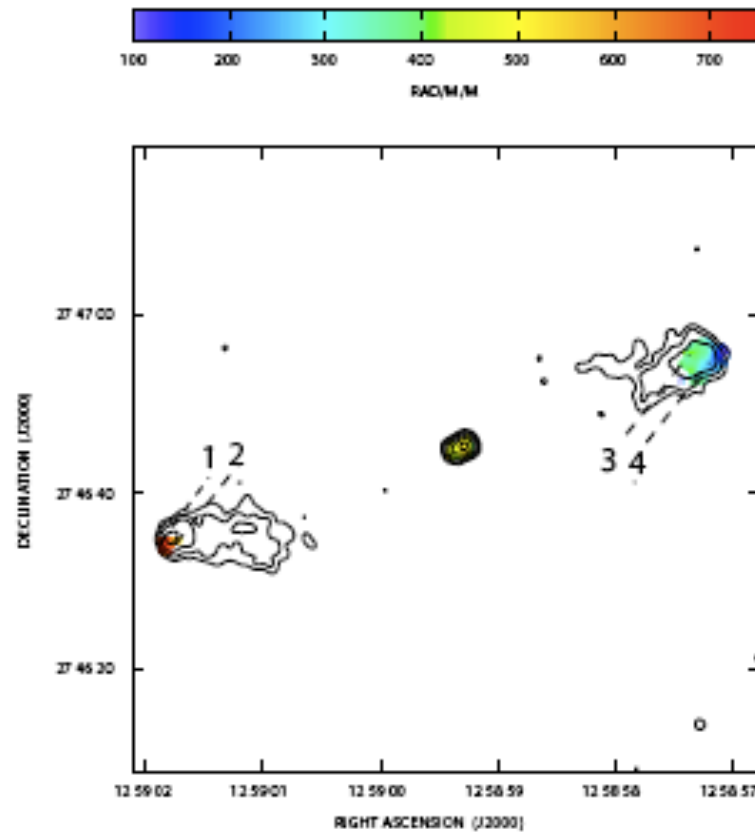


Coma

X-ray
+
radio



5C4.74 in Coma

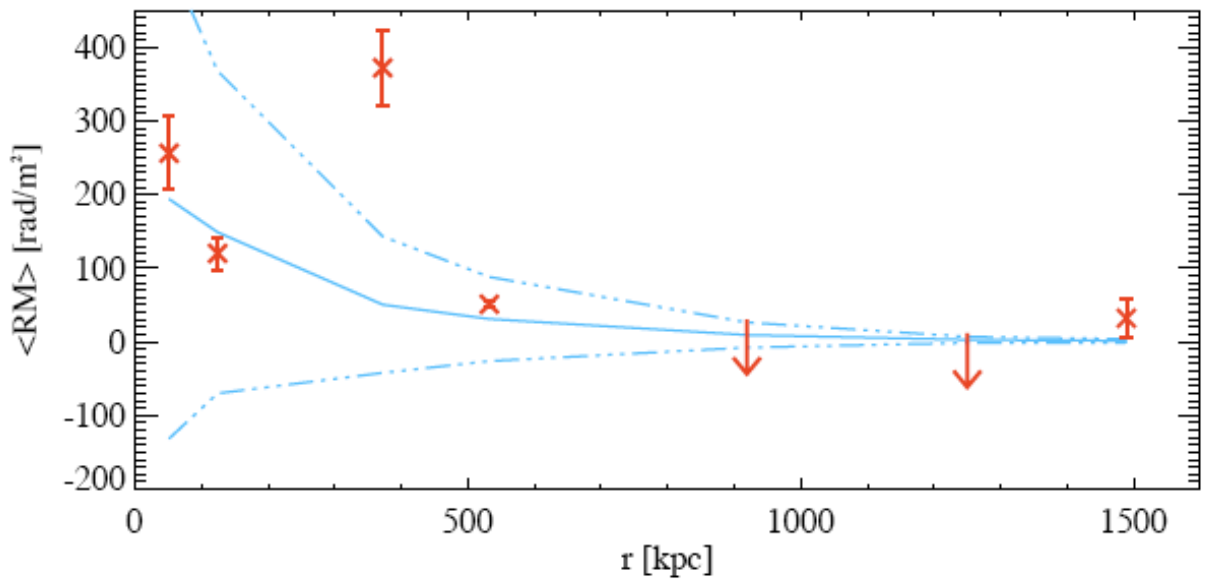
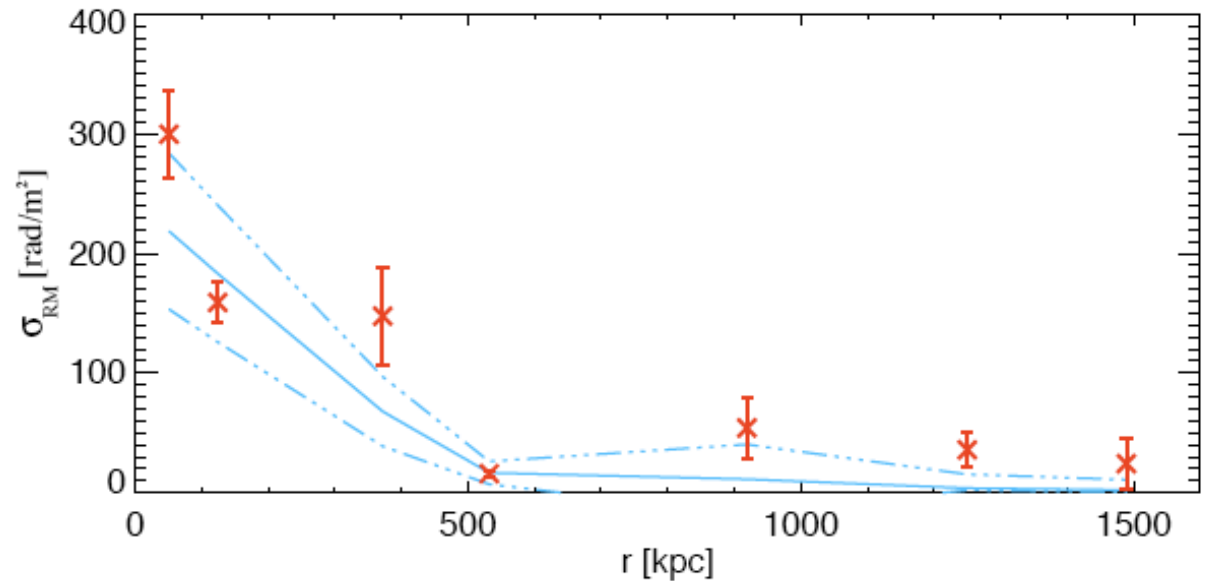


Results

$$B_0 = 4.6 \pm 0.7 \mu\text{G}$$

scale lengths between 2
and 30 kpc

average $B \sim 2 \mu\text{G}$



Bonafede et al. 2009